## LATEX2MARKDOWN EXAMPLES

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# 1. SIMPLE EXAMPLES

This section introduces the usage of the LaTeX2Markdown tool, showing an example of the various environments available.

**Theorem 1.1** (Euclid, 300 BC). There are infinitely many primes.

*Proof.* Suppose that  $p_1 < p_2 < \cdots < p_n$  are all of the primes. Let  $P = 1 + \prod_{i=1}^n p_i$  and let p be a prime dividing P.

Then p can not be any of  $p_i$ , for otherwise p would divide the difference  $P - (\prod_{i=1}^n p_i) - 1$ , which is impossible. So this prime p is still another prime, and  $p_1, p_2, \ldots p_n$  cannot be all of the primes.  $\Box$ 

**Exercise 1.2.** Give an alternative proof that there are an infinite number of prime numbers.

To solve this exercise, we first introduce the following lemma.

**Lemma 1.3.** The Fermat numbers  $F_n = 2^{2^n} + 1$  are pairwise relatively prime.

*Proof.* It is easy to show by induction that

$$F_m - 2 = F_0 F_1 \dots F_{m-1}.$$

This means that if d divides both  $F_n$  and  $F_m$  (with n < m), then d also divides  $F_m - 2$ . Hence, d divides 2. But every Fermat number is odd, so d is necessarily one. This proves the lemma.

We can now provide a solution to the exercise.

**Theorem 1.4** (Goldbach, 1750). *There are infinitely many prime numbers.* 

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*Proof.* Choose a prime divisor  $p_n$  of each Fermat number  $F_n$ . By the lemma we know these primes are all distinct, showing there are infinitely many primes.

# 2. Demonstration of the environments

We can format *italic text*, **bold text**, and **code** blocks.

- (1) A numbered list item
- (2) Another numbered list item
  - A bulleted list item
  - Another bulleted list item

All math environments supported by MathJaX should work with La-TeX - a full list is available on the MathJaX homepage.

Maxwell's equations, differential form.

$$\nabla \cdot \mathbf{E} = \frac{\rho}{\varepsilon_0}$$
$$\nabla \cdot \mathbf{B} = 0$$
$$\nabla \times \mathbf{E} = -\frac{\partial \mathbf{B}}{\partial t}$$
$$\nabla \times \mathbf{B} = \mu_0 \mathbf{J} + \mu_0 \varepsilon_0 \frac{\partial \mathbf{E}}{\partial t}$$

**Theorem 2.2** (Theorem name). This is a named theorem.

Lemma 2.3. This is a lemma.

Proposition 2.4. This is a proposition

*Proof.* This is a proof.

This is a code listing. One line of code Another line of code